Revisions are shown in red.

Vertical Forces Depth—Buildings, Scenario 2, Question 5, p. 67

Assumptions:

Use an angle between the axis of the glue-laminated beam and the tension rod of 30° . Tension in the rod is from dead load. Steel rod, collar, and nut are adequate.

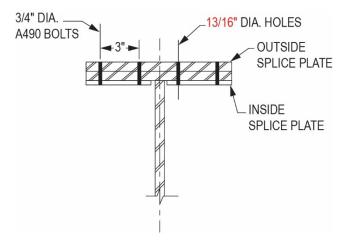
Vertical Forces Depth—Buildings, Scenario 2, Question 10, p. 71

Select the **five** structural floor framing members that must be checked for structural adequacy for the added load shown in the figure.

	-	C
Variable		Value
A_g (in ²)		0.8
A_e (in ²)		0.95
A_n (in ²)		19.125
F_{yf} (ksi)		22.55
F_u (ksi)		24
P_{fy} (ksi)		50
ϕ_u		70
ϕ_y		1,127.5

Vertical Forces Depth—Bridges, Scenario 1, Question 8, p. 83

Vertical Forces Depth—Bridges, Scenario 1, Question 11, p. 85



Vertical Forces Breadth—Solution 26, p. 105

$$k = \sqrt{\left(n\rho^2\right) + 2n\rho} - n\rho = 0.207$$

Vertical Forces Depth—Buildings, Scenario 1, Solution 1, p. 110

Alternate solution:

ACI does allow for center-to-center spacing to be used (ℓ).

Slab support condition is both end continuous. $\ell_n = 30'-0'' = 360''$

Minimum slab thickness, $h = \frac{\ell}{28} = \frac{360"}{28} = 12.86"$

THE CORRECT ANSWER IS: 12.5 to 13.5

Vertical Forces Depth—Buildings, Scenario 1, Solution 3, p. 111

$L_r = 20 \text{ psf for roof}$

The value used to calculate trib area for the LL applied to the column at the basement level is calculated as follows:

$$L = L_o \left(0.25 + \frac{15}{\sqrt{K_{LL} A_T}} \right)$$

$$K_{LL} = 4$$

$$ASCE 7 \text{ Sec.4.7-1}$$

$$A_T = 3 \times 900 \text{ ft}^2 = 2,700 \text{ ft}^2 \text{ tributary area}$$
Per ASCE 7, C4.7.2:
"For multiple floors, areas for members supporting more than one floor are summed."

$$L = 100 \left(0.25 + \frac{15}{\sqrt{4 \times 2,700}} \right) = 39.4 \text{ psf}$$

 $< 0.4L_o$ therefore use 40 psf for determination of column LL at the basement level

Live loads: Roof live load = 20 psf × 30 ft × 30 ft = 18 kips $L = 40 \text{ psf} \times 3 \times 30 \text{ ft} \times 30 \text{ ft} = 108 \text{ kips}$

ASD (Allowable Stress Design)

Load combo

1) D = 474 kips 2) D + L = 474 kips + 108 kips = 582 kips (governs)

3) $D + L_r = 474$ kips + 20 kips = 494 kips

4) $D + 0.75L + 0.75L_r = 474 \text{ kips} + 0.75(108 \text{ kips}) + 0.75(20 \text{ kips}) = 570 \text{ kips}$

Acceptable range: > 575 kips and < 590 kips

LRFD (Strength Design)

Load combo

- 1) 1.4D = 1.4(474 kips) = 663.6 kips
- 2) $1.2D + 1.6L + 0.5L_r$
 - = 1.2(474 kips) = 1.6(108 kips) = 0.5(20 kips) = 751.6 kips (governs)
- 3) $1.2D + 1.6 L_r + L$
 - = 1.2(474 kips) + 1.6(20 kips) + 108 kips = 708.8 kips

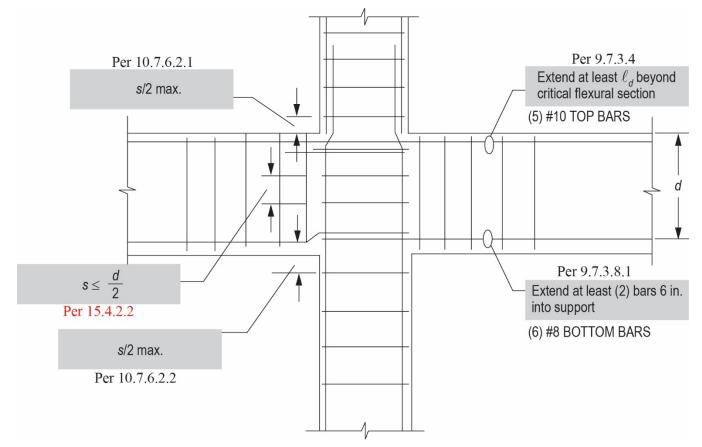
Acceptable range: > 750 kips and < 770 kips

THE CORRECT ANSWER IS: ASD 575 to 590 LRFD 750 to 770

ASCE 7 Sec 2.4.1

ASCE 7 Sec 2.3.1

Vertical Forces Depth—Buildings, Scenario 1, Solution 10, p. 117



Vertical Forces Depth—Buildings, Scenario 1, Solution 11, p. 117

Alternate solution:

ACI does allow for center-to-center spacing to be used.

Beam support condition is both end continuous.

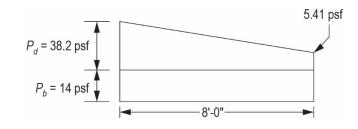
$$\ell_n = 30' - 0'' = 360''$$

Minimum beam depth, $h = \frac{\ell}{21} = \frac{360"}{21} = 17.14"$

THE CORRECT ANSWER IS: 17 to 18

Vertical Forces Depth—Buildings, Scenario 2, Solution 4, p. 125

 $p_d = (2.33 \text{ ft})(16.6 \text{ pcf}) = 38.2 \text{ psf}$ $W = 4h_d = 4(2.33 \text{ ft}) = 9.32 \text{ ft}$ $P_b = 14 \text{ psf}$



$$\left[S = (14 + 5.41) \left(\frac{8 \text{ ft}}{2}\right) \left(\frac{12 \text{ ft}}{2}\right)\right] + \frac{(38.2 - 5.41)}{2} \left(\frac{2}{3}\right) (8 \text{ ft}) \left(\frac{12 \text{ ft}}{2}\right)$$

= 1.52 kips \leftarrow Governs snow

 $D + L_r = 2.09 + 0.48 = 2.57$ kips D + S = 2.09 + 0.990 = 3.08 kips \leftarrow Governs

LRFD (Strength Design)

 $1.2D + 1.6L_r = 3.28$ kips 1.2D + 1.6S = 4.09 kips

THE CORRECT ANSWER IS: ASD 3.0 to 3.2 kips LRFD 4.0 to 4.2 kips

Vertical Forces Depth—Buildings, Scenario 2, Solution 7, p. 129 $M = P_e = (107 + 80)(4.25 \text{ in.}) = 795 \text{ in.-lb}$

$$\left(\frac{f_c}{F_c'}\right)^2 + \frac{f_b}{F_b'\left(1 - \frac{f_c}{F_{cE}'}\right)} \le 1.0$$
(3.9.3) $f_b = \frac{M}{S} = \frac{795 \text{ in.-lb}}{7.56 \text{ in}^3} = 105 \text{ psi}$
$$\left(\frac{90}{181}\right)^2 + \frac{105}{1,006\left(1 - \frac{90}{182}\right)} = 0.45$$
 $f_c = \frac{742}{(1.5)(5.5)} = 90 \text{ psi}$

LRFD (Strength Design)

 $1.2D + 1.6L_r = 1.2(555 + 107) + 1.6(80) = 922$ lb

 $M = P_e = [1.2(107) + 1.6(80)]4.25$ in. = 1,090 in.-lb

THE CORRECT ANSWER IS: ASD 0.42 to 0.48 LRFD 0.38 to 0.42

Vertical Forces Depth—Bridges, Scenario 1, Solution 4, p. 139

Reference: AASHTO 6.10.1.1b

Component	Area	Y	Ay	$A(y-\overline{y})^2$	$I_{0} = \left(\frac{bd^{3}}{12}\right)$ $b = b_{E}/3n$
Slab	(72)(8)/25.5 = 22.6 in ²	54 in.	1,220.4 in ³	$22.6(54 - 30.72)^2 = 12,248.26 \text{ in}^4$	120.47 in ⁴
Fillet	(18)(2)/25.5 = 1.41 in ²	49 in.	69.09 in ³	$\frac{1.41(49 - 30.72)^2}{471.16 \text{ in}^4} =$	0.47 in ⁴
Top Flange	(18)(1.5) = 27 in ²	47.25 in.	1,275.75 in ³	$27(47.25 - 30.72)^2 =$ 7,377.50 in ⁴	5.06 in ⁴
Web	(0.625)(45) = 28.125 in ²	24 in.	675 in ³	$28.125(24.0 - 30.72)^2 = 1,270.08$ in ⁴	4,746.09 in ⁴
Bottom Flange	$(18)(1.5) = 27 \text{ in}^2$	0.75 in.	20.25 in ³	$27(0.75 - 30.72)^2 = 24,251.42 \text{ in}^4$	5.06 in ⁴
	$\sum 106.14 \text{ in}^2$		3,260.49 in ³	45,618.42 in ⁴	4,877.15 in ⁴

$$3n = 3 \times 8.5 = 25.5$$

$$\overline{y} = \frac{3,260.49}{106.14} = 30.72 \text{ in.}$$

$$I_{LT} = 45,618.42 \text{ in}^4 + 4,877.15 \text{ in}^4 = 50,495.57 \text{ in}^4$$

$$S_{LT}^b = \frac{50,495.57 \text{ in}^4}{30.72 \text{ in.}} = 1,643.74 \text{ in}^3$$

$$f_{b\,LT} = 1,200/1,651.61 \text{ in}^3 \left(\frac{12 \text{ in.}}{\text{ft}}\right) = 8.76 \text{ ksi}$$

THE CORRECT ANSWER IS: 8.25 to 9.25

Vertical Forces Depth—Bridges, Scenario 1, Solution 5, p. 140

Weld E = 5/16 in. 3/4-in. stiffener to 5/8-in. web 3/4-in. stiffener controls Use 1/4-in. weld

Vertical Forces Depth—Bridges, Scenario 1, Solution 8, p. 143

$$A_{g} = (16 \text{ in.})(1.5 \text{ in.}) = 24 \text{ in}^{2}$$

$$A_{e} = \frac{0.8 (70)}{0.95 (50)} (19.125) = 22.55 \text{ in}^{2}$$

$$A_{n} = \left[16 - 4\left(\frac{13}{16}\right)\right](1.5) = 19.125 \text{ in}^{2}$$
Hole for 3/4-in.-diameter bolt
$$F_{yf} = 50 \text{ ksi}$$

$$F_{u} = 70 \text{ ksi}$$

$$F_{u} = 70 \text{ ksi}$$

$$F_{yf} = 1,127.5 \text{ kips}$$

$$\phi_{u} = 0.8$$

$$\phi_{y} = 0.95$$

$$AASHTO 6.13.6.1.3 \text{ b-2}$$

$$AASHTO 6.13.6.1.3 \text{ b-2}$$

$$Table 6.13.3.4-1$$

$$Table 6.13.3.4-1$$

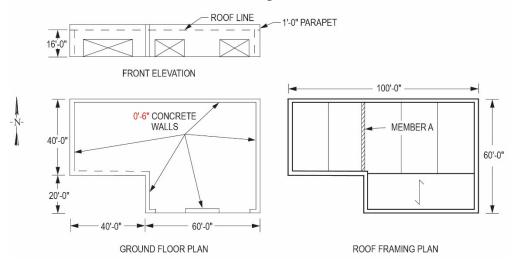
$$Table 6.4.1-1$$

$$F_{0} = 6.4.1-1$$

$$F_{0} = 0.8$$

$$6.5.4.2$$

Lateral Forces Breadth—Question 7, p. 160

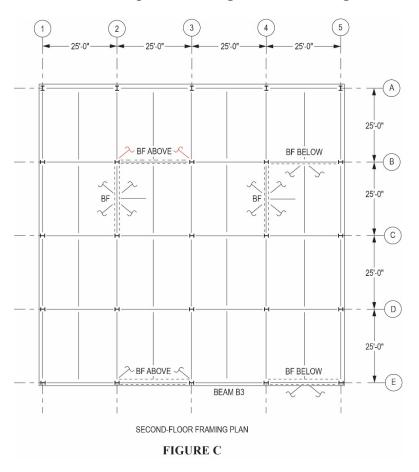


Lateral Forces Breadth—Question 19, p. 174

Design Data:

Table 1 shows computer output for all frame members. Special steel concentric braced frame $F_y = 50$ ksi for HSS $F_y = 50$ ksi for WF E = 29,000 ksi ASTM A500 Gr. C

Lateral Forces Depth—Buildings, Scenario 1, Figure C



Lateral Forces Depth—Buildings, Scenario 1, Question 2, p. 198 Based on the following information, the lightest W36 beam for Beam B1 in Figure E is .

ERRATA for

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Lateral Forces Depth—Buildings, Scenario 1, Question 3, p. 198

Based on the story forces provided in **Table 1** and effective brace length KL = 18 ft, the lightest round hollow steel section using a round HSS 7.500 brace member between the sixth floor and roof is:

Lateral Forces Depth-Buildings, Scenario 1, Question 4, p. 199

Which of the elements identified in the figure are required to be designed for overstrength?

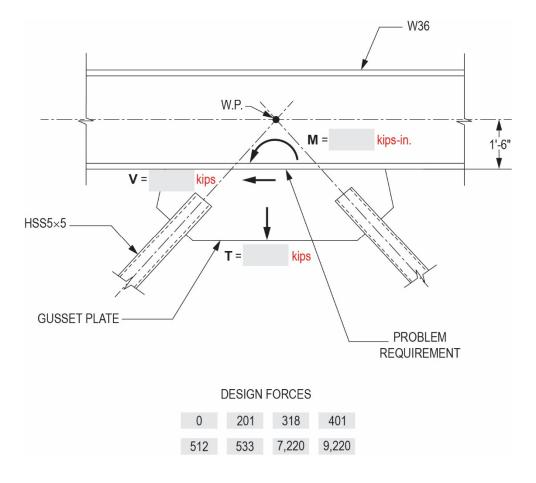
Lateral Forces Depth—Buildings, Scenario 1, Question 5, p. 200

Based on story forces provided in **Table 1**, the governing axial force for Beam B3 in **Figure F** is:

Lateral Forces Depth—Buildings, Scenario 1, Question 6, p. 200

For this question, consider bolt failure states only. Based on the figure, the number of bolts required to transfer the axial force to the special concentric brace frame is:

Lateral Forces Depth—Buildings, Scenario 1, Question 7, p. 201



Lateral Forces Depth—Buildings, Scenario 1, Question 10, p. 204

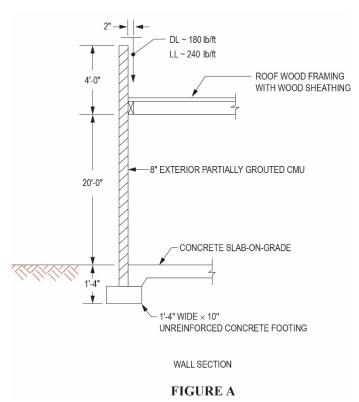
□ A. Attachment of steel deck using steel headed stud anchors

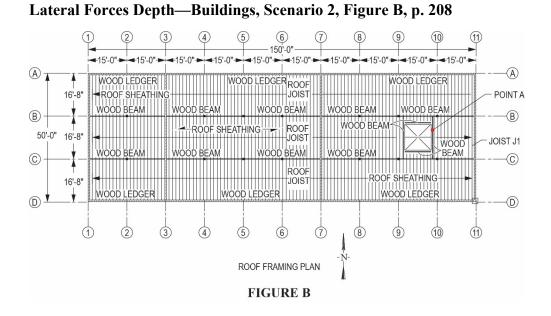
Lateral Forces Depth—Buildings, Scenario 2, p. 206

Material Specifications:

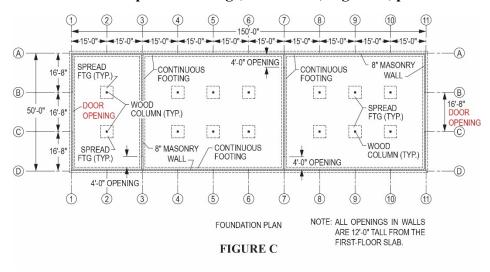
Steel reinforcement ASTM A615, $f_y = 60$ ksi

Lateral Forces Depth—Buildings, Scenario 2, Figure A, p. 207





Lateral Forces Depth—Buildings, Scenario 2, Figure C, p. 209



Lateral Forces Depth-Buildings, Scenario 2, Question 1, p. 210

Design Data:

Base wind speed = 142 mph Exposure C $K_{zt} = 1.0$ $K_e = 1.0$

The wind velocity pressure q_p (psf) at the top of the building's parapet is _____.

Lateral Forces Depth-Buildings, Scenario 2, Question 2, p. 210

Based on a wind velocity pressure of 50 psf and vertical reinforcement at 16 in. o.c., the wind design pressure p (psf) at the top of the windward parapet at Grid Line 5 is _____.

Lateral Forces Depth-Buildings, Scenario 2, Question 3, p. 210

Based on a wind velocity pressure of 50 psf and vertical reinforcement at 16 in. o.c., the building's leeward parapet design wind pressure p (psf) at Grid Line 5 is

Lateral Forces Depth—Buildings, Scenario 2, Question 4, p. 211

Assumptions:

 $q_z = 35$ psf at 15 ft above floor slab $q_h = 40$ psf at 20 ft above floor slab Total leeward parapet design wind pressure = 85 psf Anchorage from the wall to the roof has an effective wind area of 50 ft². Enclosed building

The wind loads R_B (plf of roof) from the windward wall at Grid Line 5 that are resisted by the roof diaphragm are _____.

Lateral Forces Depth—Buildings, Scenario 2, Question 5, p. 211

Based on the wind pressures in the table, the maximum moment M_{max} (lb-ft) due to wind pressures on the wall shown in Figure A is ______.

Lateral Forces Depth—Buildings, Scenario 2, Question 6, p. 211

Assume an ASD moment of 1,080 ft-lb, or a strength level moment of 1,800 ft-lb. Based on Figure A, the maximum spacing of #5 vertical bar reinforcement for bars placed at the center of the 8-in. CMU wall is:

Lateral Forces Depth—Buildings, Scenario 2, Question 7, p. 212

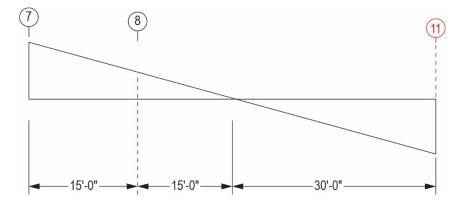
Assumptions:

 $q_h = 46$ psf Enclosed building Bridging/blocking fully braces bottom of joists. Joists are spaced at 16 in. o.c.

The **minimum** $2 \times$ wood joist size required for bending stresses due to wind pressure on Joist J1 on the roof framing plan in **Figure B** is ______.

Lateral Forces Depth—Buildings, Scenario 2, Question 8, p. 212

For a distributed diaphragm wind load W of 2,300 plf (strength/LRFD level) and based on $2 \times$ joists and blocking at all panel edges, what are the required horizontal plywood nail size and spacing, respectively, along Grids 7 and 8?



Lateral Forces Depth—Bridges, Scenario 1, Question 3, p. 221

Assume half the mass of the columns contributes to the weight of the structure. The weight (kips) of the structure used to compute the period of the structure is _____.

Lateral Forces Breadth—Solution 19, p. 238

 $R_y = 1.3$ HSS ASTM A500 Grade C

AISC SDM Table A3.2

Lateral Forces Depth—Buildings, Scenario 2, Solution 1, p. 254

142 mph, Exposure C RC II, parapet 20–24 ft

 $q_p = 0.00256(K_z)(K_{zt})(K_d)(K_e)(V)^2$ at z of 20 ft, $K_z = 0.90$; at z of 24 ft, $K_z = 0.932$ $K_{zt} = 1.0$, $K_d = 0.85$, $K_e = 1.0$

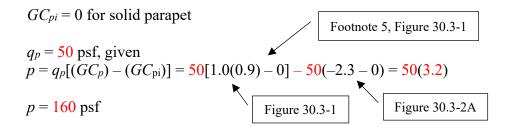
 $q_p = 0.00256(0.932)(1.0)(0.85)(1.0)(142)^2 = 40.9 \text{ psf}$

Range: 40.5 to 41.5

THE CORRECT ANSWER IS: 40.5 to 41.5

Lateral Forces Depth—Buildings, Scenario 2, Solution 2, p. 254

Effective wind area = 4(4)/3 = 5.33 < 10 ft²; use 10 ft² Wall Zone 4 positive coefficient = +1.0Roof Zone 2 uplift pressure coefficient = -2.3



THE CORRECT ANSWER IS: 155 to 165

Lateral Forces Depth—Buildings, Scenario 2, Solution 3, p. 254

 $q_{2} = 50 \text{ psf}$ $GC_{pi} = 0.00 \text{ (solid parapet)}$ Effective wind area = 4.0 ft × 4.0 ft/3 = 5.33 ft² $GC_{p} = \text{Figure 30.3-1}$ $= -1.0 \times 0.9 = +0.9 = GC_{p} \text{ for } p_{\text{roof}}$ $-1.1 \times 0.9 = -0.99 = GC_{p} \text{ for } p_{\text{wall}}$ $p_{\text{roof}} = 50 \text{ psf} (0.9 - \emptyset) = 45 \text{ psf}$ $p_{\text{wall}} = 50 \text{ psf} (0.99 - \emptyset) = 49.5 \text{ psf}$ $p_{\text{total}} = 94.5 \text{ psf}$

Reference Footnote 5, Figure 30.3-1

THE CORRECT ANSWER IS: 90.0 to 99.0

Lateral Forces Depth—Buildings, Scenario 2, Solution 6, p. 256

From NCEES PE Structural Reference Handbook: $2/jk = (12)(3.81)^2(900)/1,080 = 12.1$ np = 0.019 $npj = 16.11(1,080)(12)/12(3.81)^2(32,000) = 0.037$ np = 0.041

Lateral Forces Depth—Buildings, Scenario 2, Solution 7, p. 257

Effective wind area need not be less than (16.67)(16.67/3) = 93 ft² Therefore, use effective wind area = 93 ft²

ASCE 7 Figure 30.3-2A, Zone 2: GC_p can be taken with range of -1.7 to -1.9

Design wind uplift pressure, LRFD/Strength: $P = 46 \text{ psf} \begin{pmatrix} -1.7 & -0.18 \\ -1.9 & -0.18 \end{pmatrix} = \begin{cases} 86.5 \text{ psf} \\ to \\ 95.7 \text{ psf} \end{cases}$

Distributed wind load on joist: $W = \begin{pmatrix} 86.5 \text{ psf} \\ to \\ 95.7 \text{ psf} \end{pmatrix} \begin{pmatrix} 115.0 \text{ plf} \\ 1.33 \text{ ft} \end{pmatrix} = \begin{pmatrix} to \\ 127.3 \text{ plf} \end{pmatrix}$ Moment in joist: $\frac{Wl^2}{8} = \frac{W(16.67 \text{ ft})^2}{8} = \begin{pmatrix} 3,995 \text{ lb-ft} & 47,936 \text{ lb-in.} \\ to \\ 4,422 \text{ lb-ft} & = \begin{matrix} to \\ 53,063 \text{ lb-in.} \end{pmatrix}$

ASD (Allowable Design)

$$S_{req} = \frac{(0.6)(47,936)}{1,656 \text{ psi}} = 17.4 \text{ in}^{3}$$
$$= \frac{(0.6)(53,063)}{1,656 \text{ psi}} = 19.2 \text{ in}^{3}$$
$$2 \times 8 S_{x} = 13.14 < 17.4 \text{ in}^{3} \therefore \text{ NG}$$
$$2 \times 10 S_{x} = 21.39 > 19.2 \text{ in}^{3} \therefore \text{ OK}; \text{ use } 2 \times 10$$

LRFD (Strength Design)

$$S_{req} = M/F_{b}'$$

$$S_{req} = \frac{47,936 \text{ lb-in.}}{3,575 \text{ psi}} = 13.4 \text{ in}^{2}$$
to
$$\frac{53,063 \text{ lb-in.}}{3,575 \text{ psi}} = 14.8 \text{ in}^{2}$$

$$2 \times 8 S_x = 13.14 < 13.4 \text{ in}^2$$
.: NG
 $2 \times 10 S_x = 21.39 > 14.8 \text{ in}^2$.: OK; use 2×10

Lateral Forces Depth—Buildings, Scenario 2, Solution 8, p. 259

LRFD (Strength Design)

Shear at Grid Line 7: $V_7 = 2,300 \text{ plf} (30 \text{ ft}) = 69,000 \text{ lb}$ $v_7 = 69,000 \text{ lb/50 ft} = 1,380 \text{ lb/ft}$

ASD (Allowable Design)

 $v_7 = 0.6(1,380 \text{ lb-ft}) = 828 \text{ lb-ft}$ $v_8 = 0.6(690 \text{ lb-ft}) = 414 \text{ lb-ft}$