

ERRATA for
Fundamentals of Surveying Practice Exam
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Revisions are shown in red.

Question 27, p. 19:

Question 27 has been replaced with the following.

The difference between float and fixed GPS solutions is that:

- A. N is solved in the fixed solution but not in the float solution.
- B. N is solved in the float solution but not in the fixed solution.
- C. The float solution is more accurate.
- D. The float solution uses the C/A code, while the fixed solution uses the L1 signals.

Solutions Table, p. 32:

9: C

27: A

49: 1.9600

50: C

Solution 9, p. 34:

$$S = \frac{8.1}{12,000} \times \frac{6.75}{X} = \frac{6.75(12,000)}{8.1}$$
$$= 10,000$$

THE CORRECT ANSWER IS: C

Solution 27, p. 38:

N , integer ambiguity, is solved in the fixed solution but not in the float solution.

THE CORRECT ANSWER IS: A

Solution 49, p. 44:

The NSSDA statistic is determined by multiplying the RMSE by a value that represents the standard error of the mean at the 95 percent confidence level: 1.7308 when calculating horizontal accuracy, and 1.9600 when calculating vertical accuracy. See Section F of NSPS Model Standards in the Appendices of the *FS Reference Handbook 2.0*.

THE CORRECT ANSWER IS: 1.9600

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Solution 50, p. 44:

Refer to the error propagation equation in the Mathematical and Surveying-Related Formulas chapter of the *FS Reference Handbook*.

Error is "error of a sum," similar to a long line measured in parts and an error in each part.

$$\text{Perimeter} = 2L + 2W$$

$$\sigma_{\text{sum}} = \sqrt{(2\sigma_L)^2 + (2\sigma_W)^2}$$

$$\sigma_{\text{sum}} = \sqrt{4\sigma_L^2 + 4\sigma_W^2}$$

$$\sigma_{\text{sum}} = \sqrt{4(0.2)^2 + 4(0.15)^2}$$

$$\sigma_{\text{sum}} = \sqrt{0.16 + 0.09}$$

$$\sigma_{\text{sum}} = \sqrt{0.25}$$

$$\sigma_{\text{sum}} = 0.5$$

THE CORRECT ANSWER IS: B